

# Konstruktion von LCP-Arrays (ctd.) und Suche in Suffix Arrays

WS14/15  
Johannes Fischer

---

**Algorithm 1:** Linear-Time Construction of the LCP-Array

---

```
1 for  $i = 1, \dots, n$  do  $A^{-1}[A[i]] \leftarrow i$ ;  
2  $h \leftarrow 0, H[1] \leftarrow 0$ ;  
3 for  $i = 1, \dots, n$  do  
4   if  $A^{-1}[i] \neq 1$  then  
5      $j \leftarrow A[A^{-1}[i] - 1]$ ;  
6     while  $t_{i+h} = t_{j+h}$  do  $h \leftarrow h + 1$ ;  
7      $H[A^{-1}[i]] \leftarrow h$ ;  
8      $h \leftarrow \max\{0, h - 1\}$ ;  
9   end  
10 end
```

---

---

**Algorithm 2:** More Cache-Efficient Linear-Time Construction of the LCP-Array

---

```
1  $\Phi[n] \leftarrow A[n];$  // assume that  $T$  is  $\$$ -terminated, so  $A[1] = n$ 
2 for  $i = 2, \dots, n$  do  $\Phi[A[i]] \leftarrow A[i - 1];$  // "with whom I want to be compared"
3  $h \leftarrow 0;$ 
4 for  $i = 1, \dots, n$  do
5 |  $j \leftarrow \Phi[i];$ 
6 | while  $t_{i+h} = t_{j+h}$  do  $h \leftarrow h + 1;$ 
7 |  $H'[i] \leftarrow h;$  //  $\Phi[i]$  can be overwritten by  $H'$  (saves space)
8 |  $h \leftarrow \max\{0, h - 1\};$ 
9 end
10 for  $i = 1, \dots, n$  do  $H[i] \leftarrow H'[A[i]];$  // put values back into suffix array order
```

---

# Suche in Suffix Arrays (direkt - ohne Suffixbaum)

---

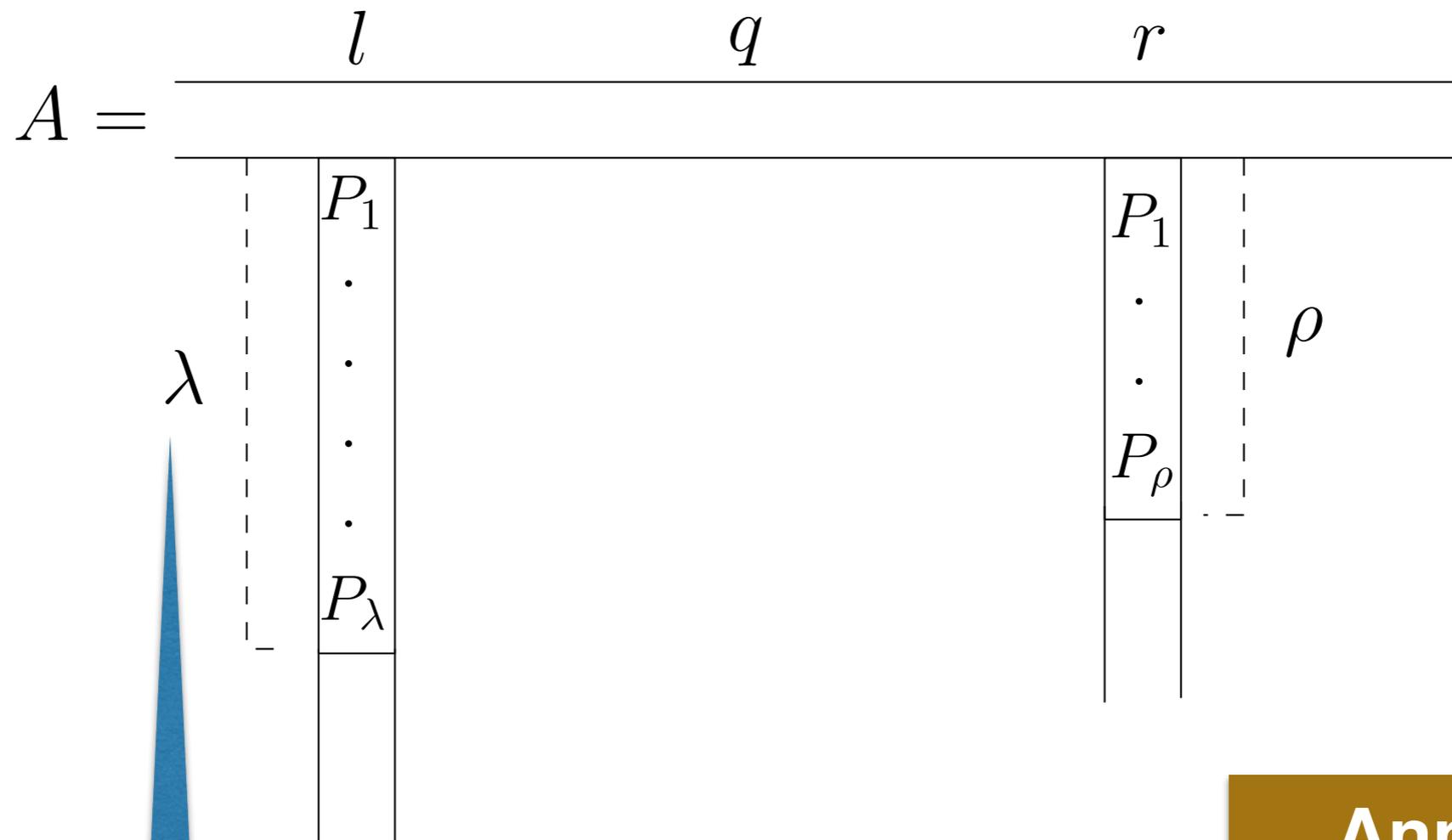
**Algorithm 3:** function  $\text{SAsearch}(P_{1\dots m})$ 

---

```
1  $l \leftarrow 1; r \leftarrow n + 1;$ 
2 while  $l < r$  do
3    $q \leftarrow \lfloor \frac{l+r}{2} \rfloor;$ 
4   if  $P >_{\text{lex}} T_{A[q] \dots \min\{A[q]+m-1, n\}}$  then
5      $l \leftarrow q + 1;$ 
6   else
7      $r \leftarrow q;$ 
8   end
9 end
10  $s \leftarrow l; l \leftarrow n; r \leftarrow n;$ 
11 while  $l < r$  do
12    $q \leftarrow \lceil \frac{l+r}{2} \rceil;$ 
13   if  $P =_{\text{lex}} T_{A[q] \dots \min\{A[q]+m-1, n\}}$  then
14      $l \leftarrow q;$ 
15   else
16      $r \leftarrow q - 1;$ 
17   end
18 end
19 return  $[s, r];$ 
```

---

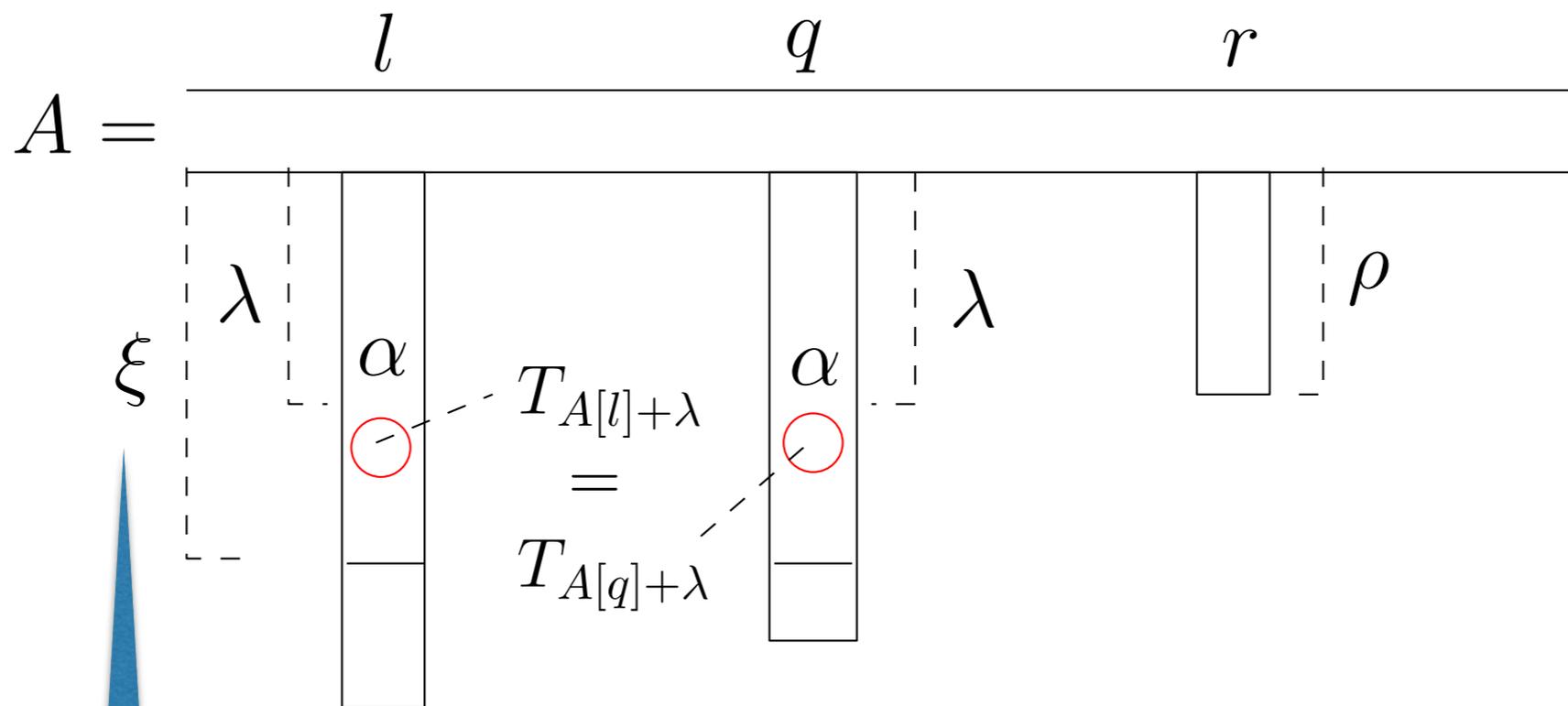
Schnellere Suche:  
 $m \cdot \lg(n) \rightarrow m + \lg(n)$



Übereinstimmung zwischen Muster P und dem Suffix  $T[A[l]..n]$

Annahme:  
 $\lambda > \rho$   
 (sonst vertausche)

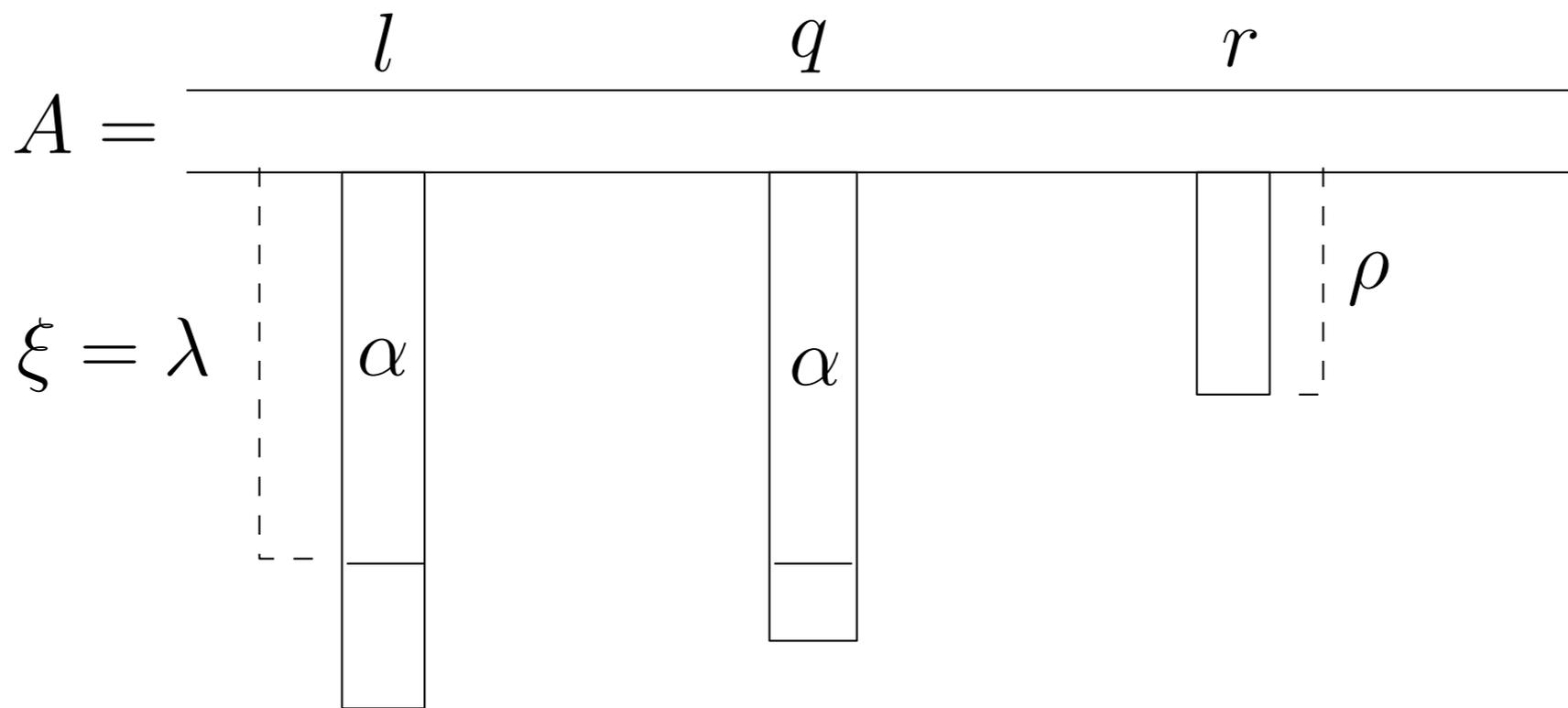
# 1. Fall: $\xi > \lambda$



LCP zwischen  
 $T[A[l]..n]$  und  $T[A[q]..n]$

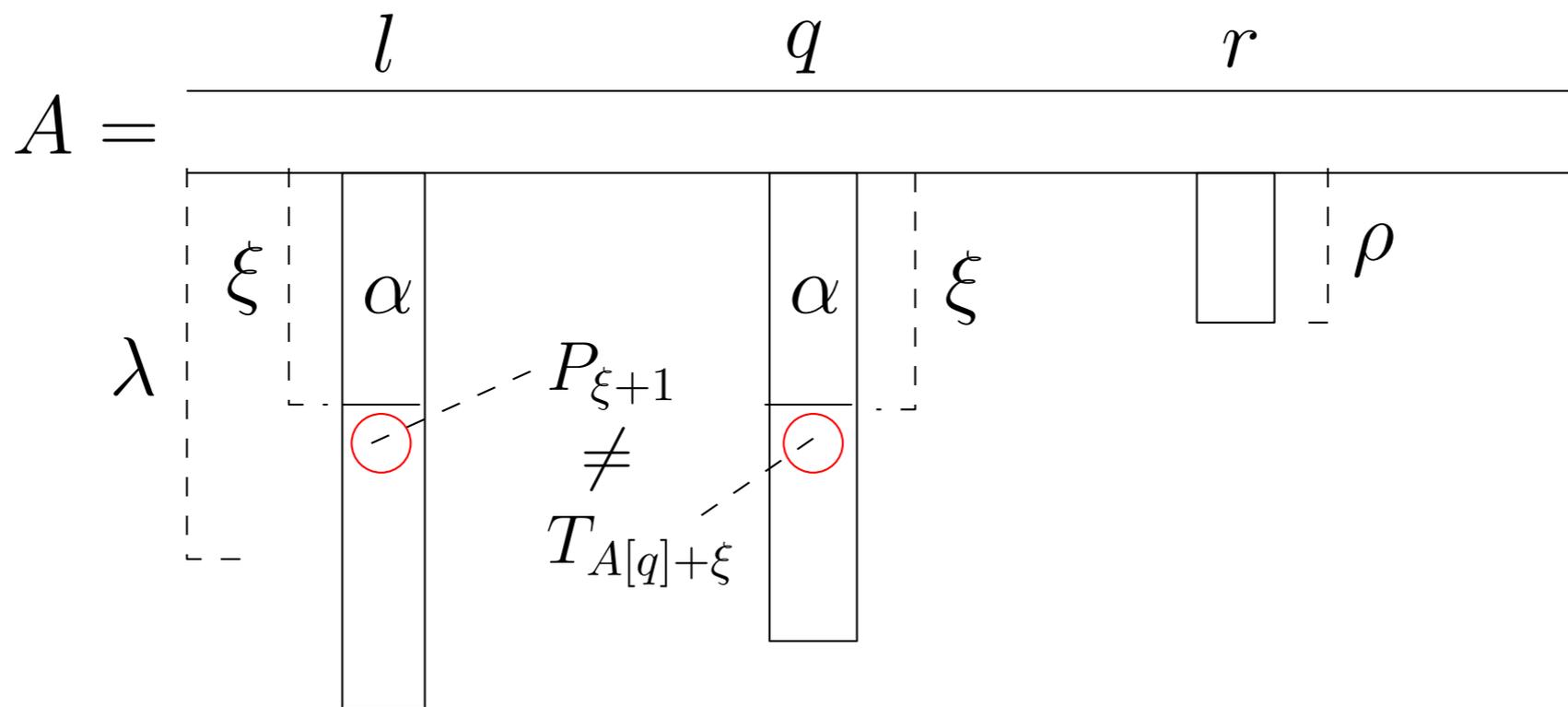
$\Rightarrow$  setze  $l \leftarrow q$  ohne weitere Vergleiche!

# 2. Fall: $\xi = \lambda$



**Vergleiche wie bei der normalen binären Suche**

# 3. Fall: $\xi < \lambda$



**$\Rightarrow$  setze  $r \leftarrow q$  und  $\rho \leftarrow \xi$  ohne weitere Vergleiche!**